

Towards a Multi-Constellation combination

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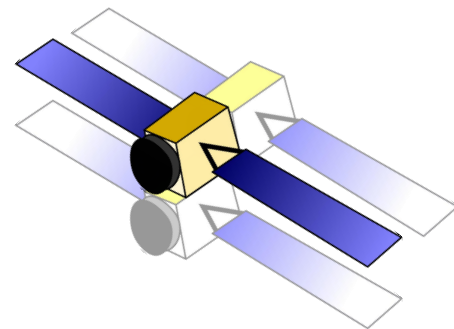


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IGS AC Workshop 2019, Potsdam

Combination Software

- Combination software based on the method developed by Springer & Beutler (1993), and Kouba et al. (1994)
- The current IGS final products are GPS-only
- A strong limitation for end users who want to perform Multi-GNSS processing



$x, y, z, \delta t$?

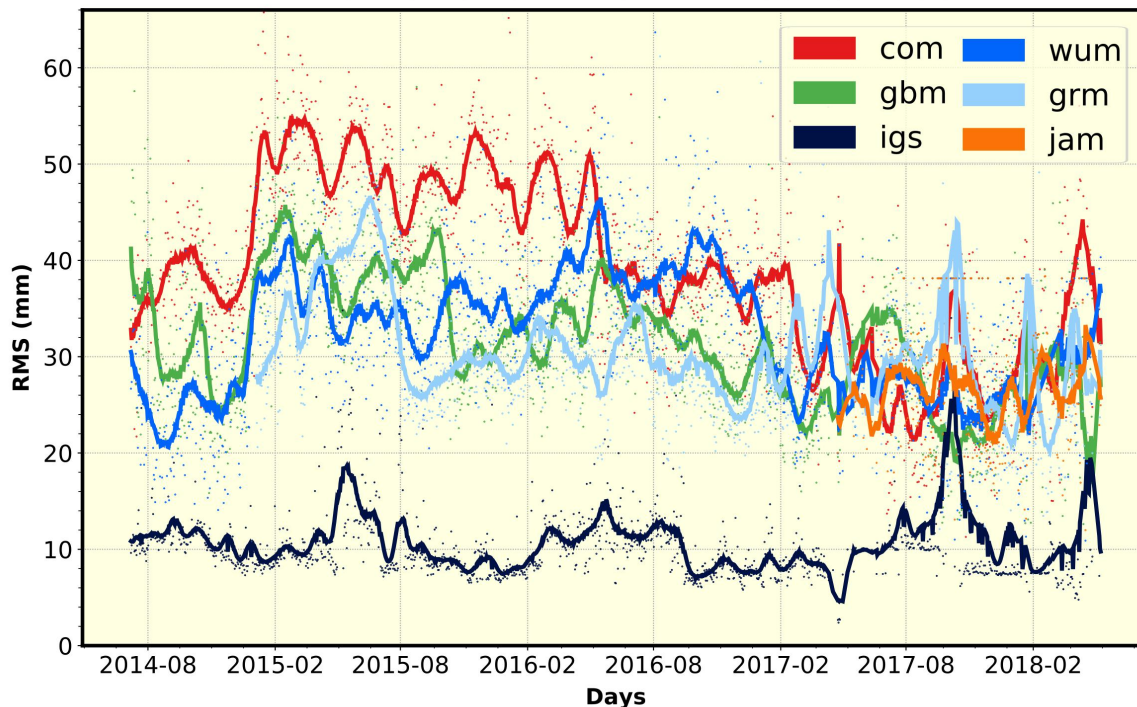
MGEX Analysis Centers Used

intern. ID	Name	Country	GNSS processed	1st epoch used
com	CODE	Swi./Ger.	G,R,E,C,J	w1690 (2012/05)
gbm	GFZ	Germany	G,R,E,C,J	w1777 (2014/01)
grm	GRGS/CNES/CLS	France	G,R,E	w1692 (2012/06)
jam	JAXA	Japan	G,R,J	w1945 (2017/04)
wum	Wuhan University	China	G,R,E,C,J	w1722 (2013/01)



RMS for Orbit Combination

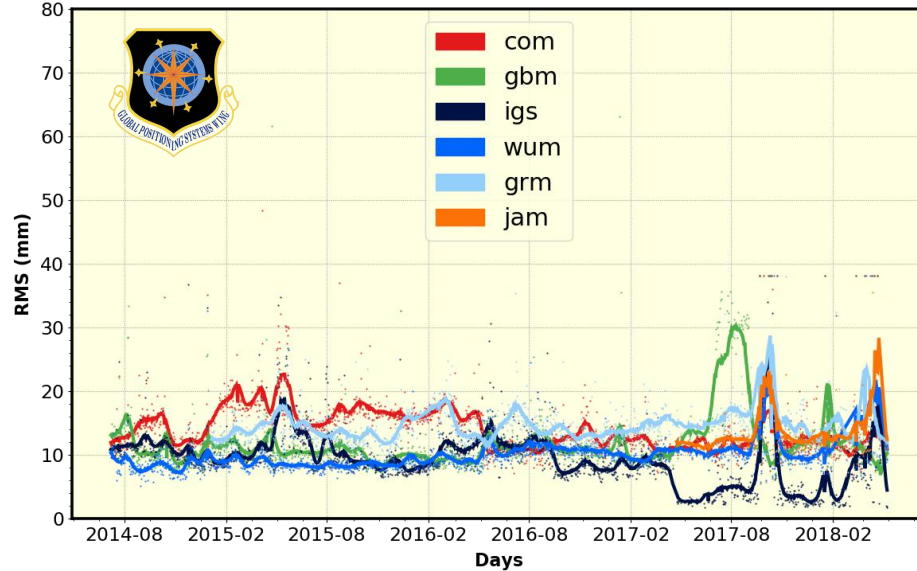
Final Orbits RMS - All Satellites



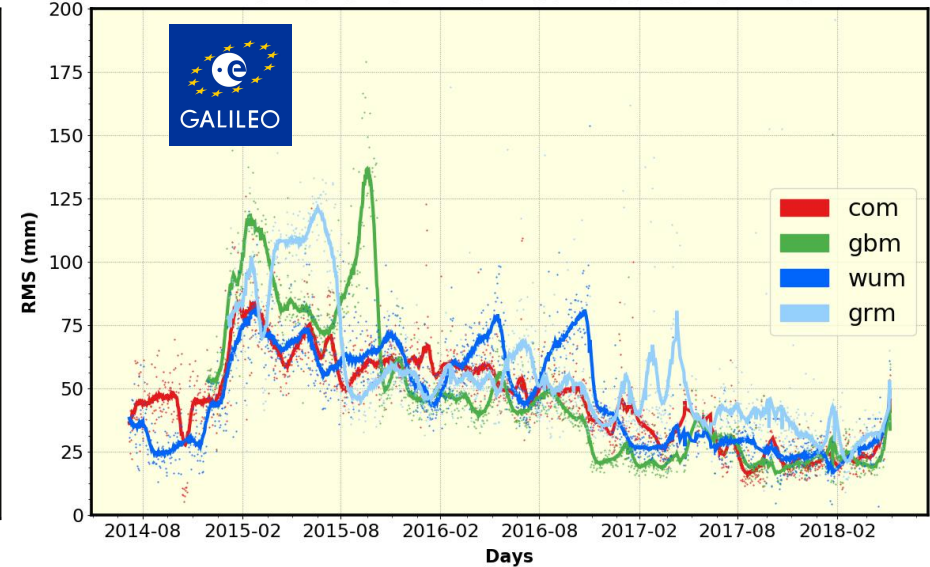
NB : No pole alignment for some ACs

RMS for Orbits Combination

Final Orbits RMS - GPS Satellites



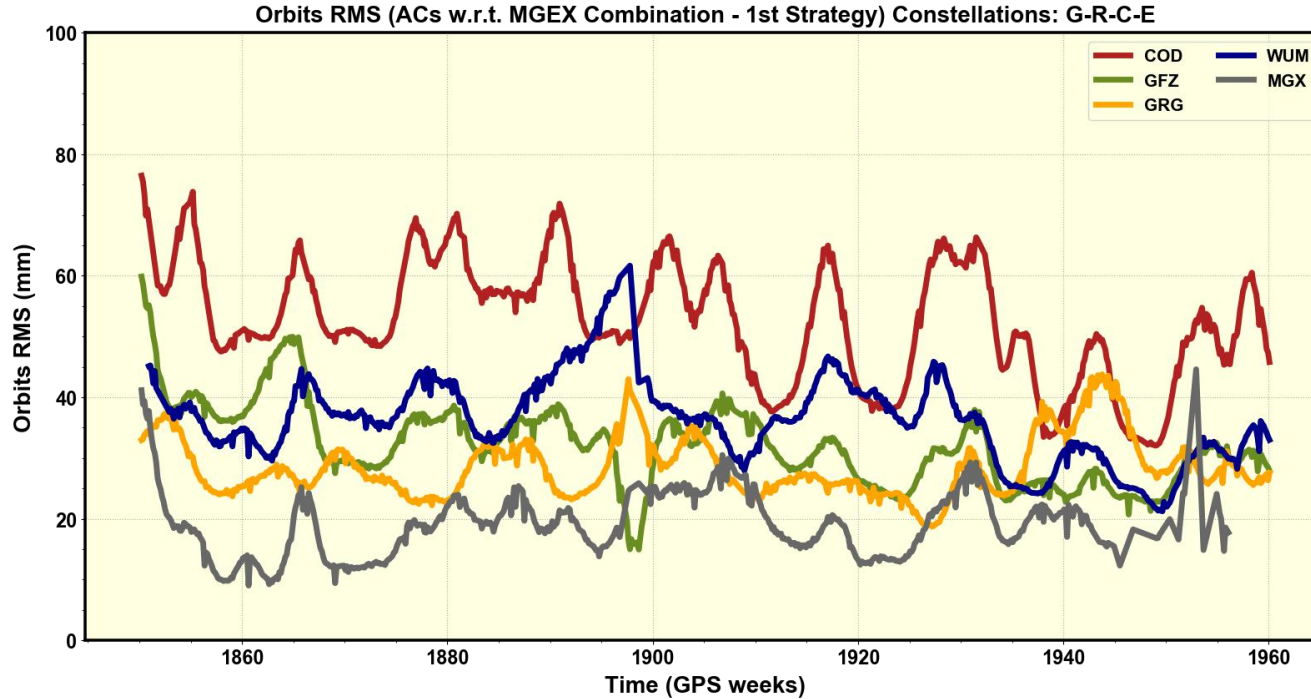
Final Orbits RMS - Galileo Satellites



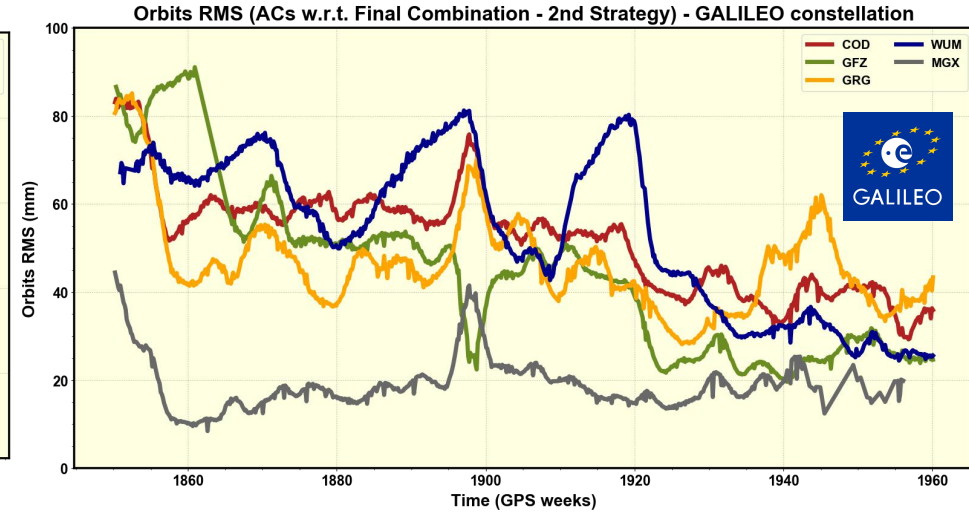
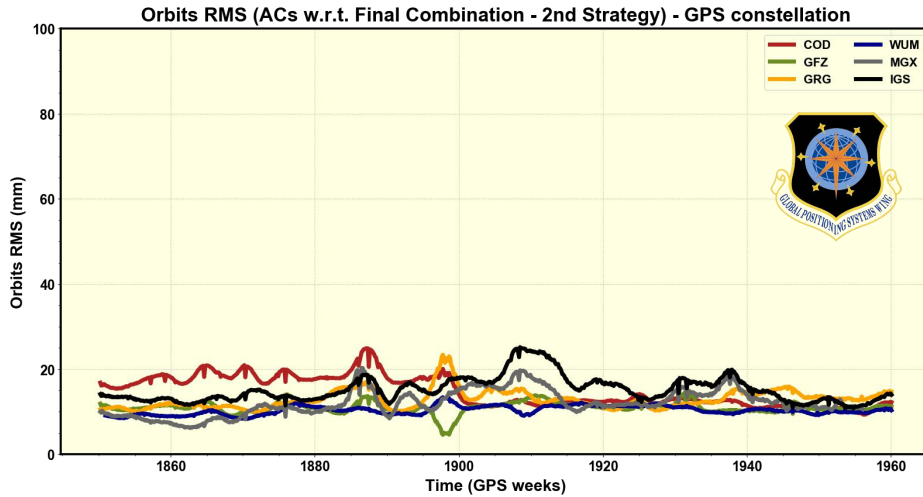
Prototype for a new combination strategy

- Developed in *Python 3*
- Based on the same theory so far
- Designed to add easily new functionalities

RMS for Orbit Combination



RMS for Orbits Combination

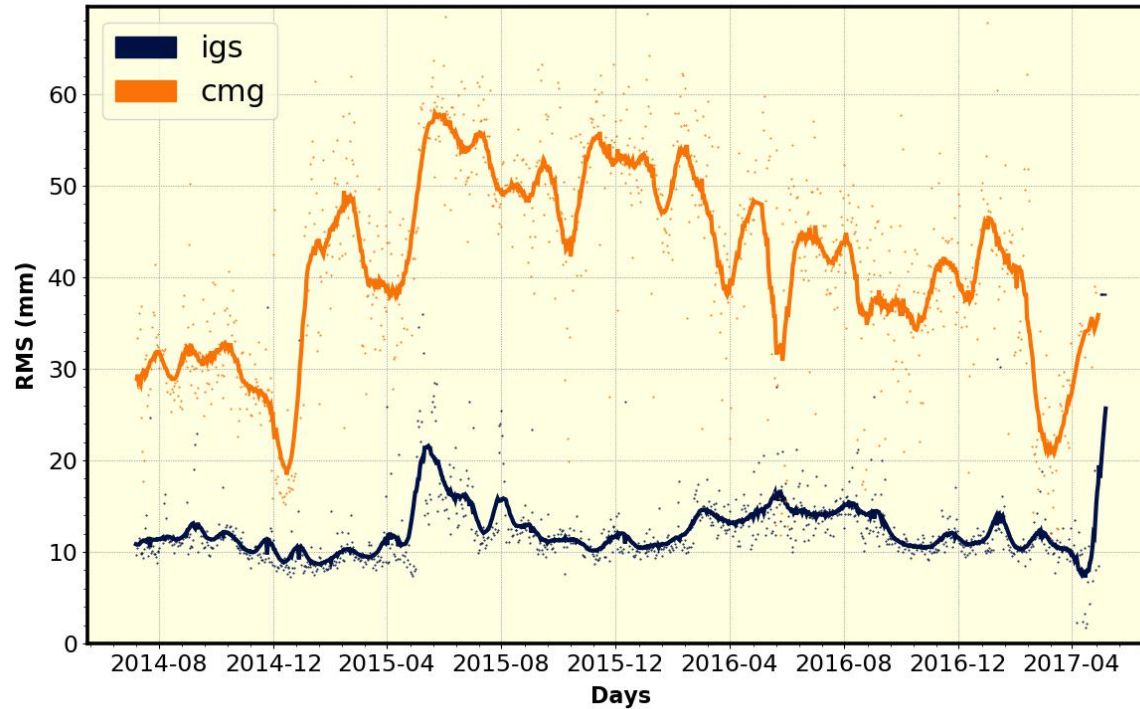


Further developments

- Weights according to the constellations
- Considering the different ACs' processing parameters (Orbit modeling ...) as annex weight information.
- Alignment to the ITRF based on ground station coordinates (Needs of SINEX)
- Combination of clocks

New combination software

Final Orbits RMS - All Satellites



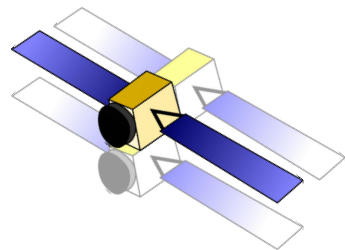
Preliminary results

cmg = Combination Multi-GNSS

reference :
Multi-GNSS
Combination
produced with the
official software

Summary & Perspectives

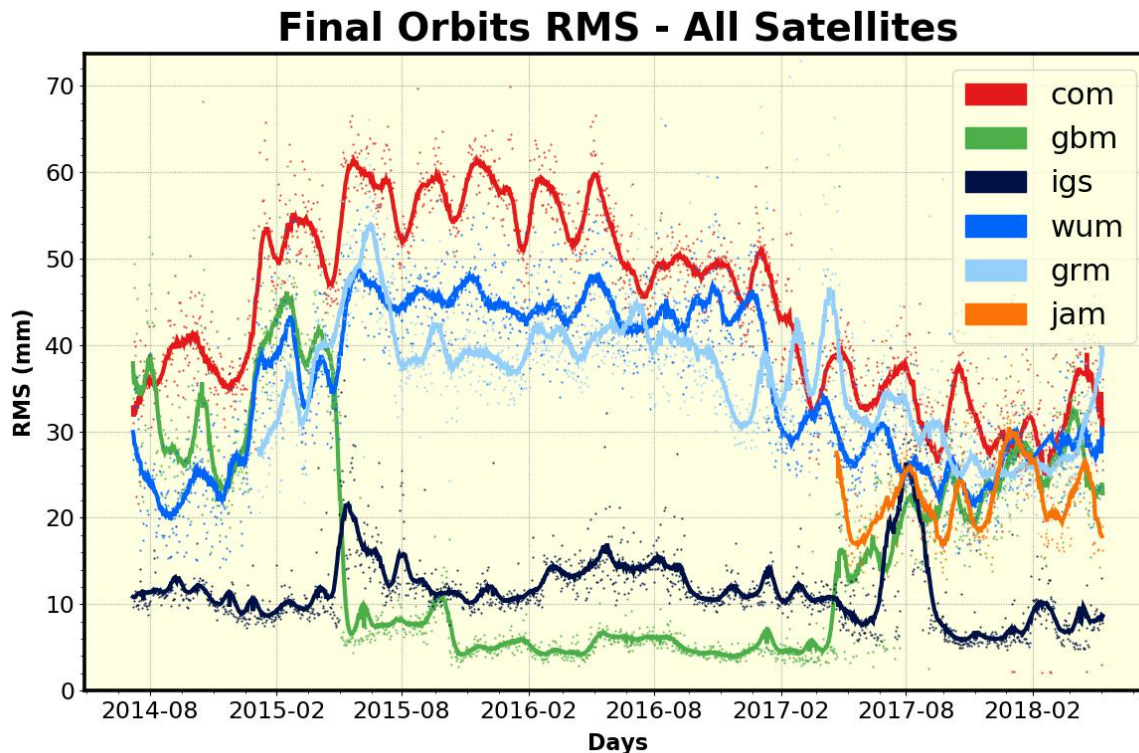
- Orbit combination : $\sim 30\text{mm}$ RMS w.r.t individual ACs
 $\sim 10\text{mm}$ RMS w.r.t. IGS Final Combi.
- Can be improved with pole alignment for all ACs
- Clock combination is unstable so far
- Instabilities during recent weeks (lot of exclusions)
- A new software is under development,
for an easier implementation of new features



But ...

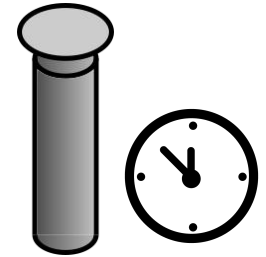
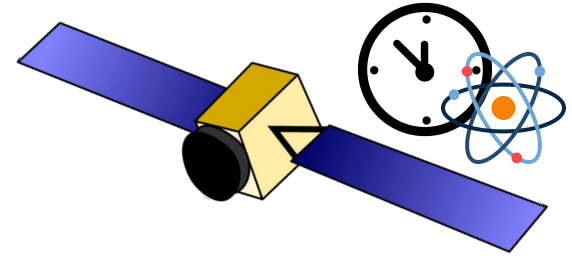
- What is the level of “emergency” ?
- Should be the result of a collective discussion

RMS for Orbit Combination



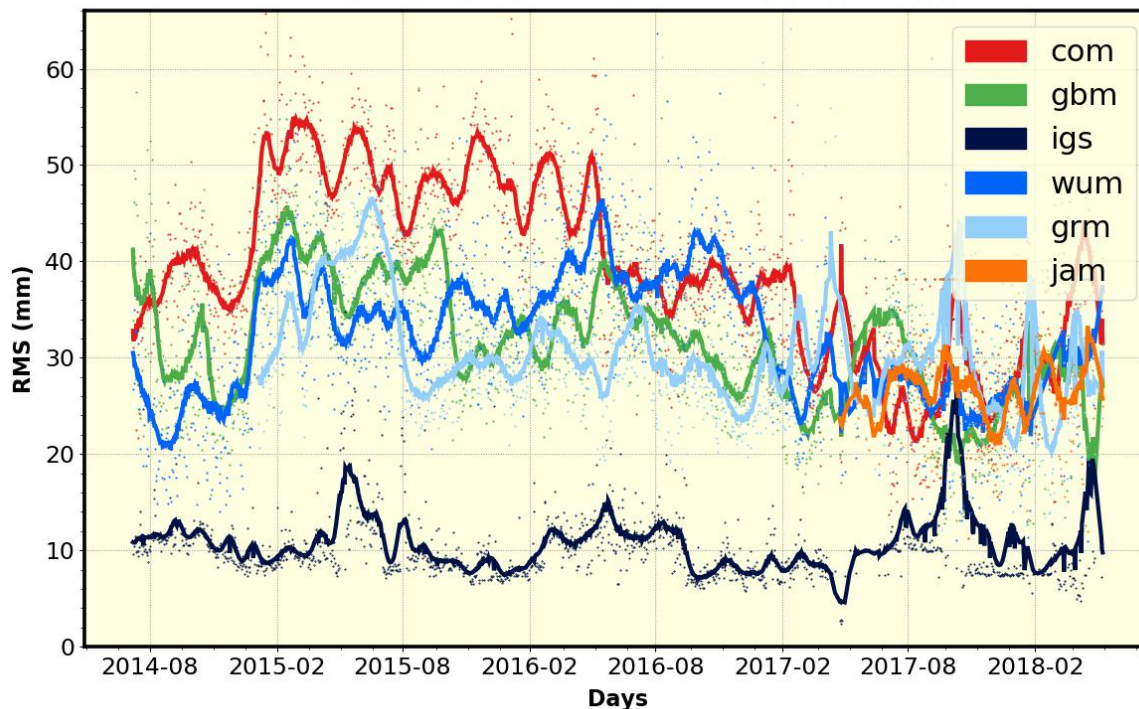
Clock offsets Combination Summary

- **Step 1** : Radial correction (Ferland, 1999)
- **Step 2** : Alignment to a reference AC clock
- **Step 3** : Combination (weighted mean)
- **Step 4** : Outlier detection & weight computation
 - Iterative process : back to Step 3 while there is still outliers



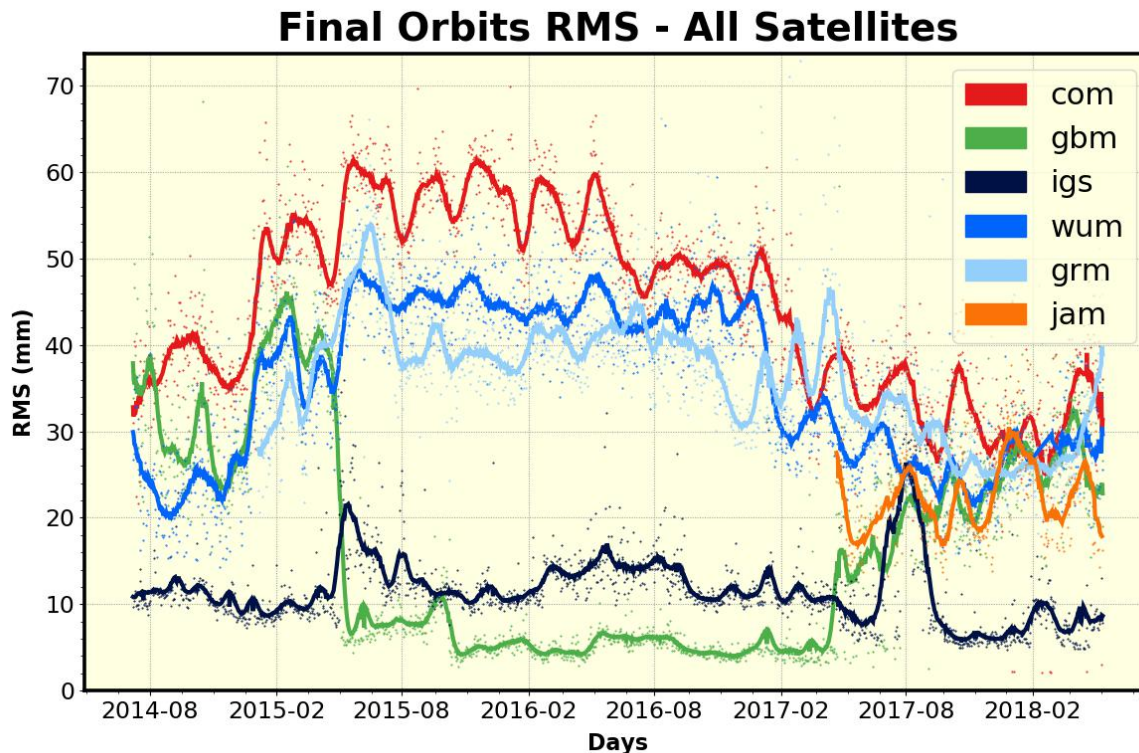
RMS for Orbit Combination

Final Orbits RMS - All Satellites



NB : No pole alignment for some ACs

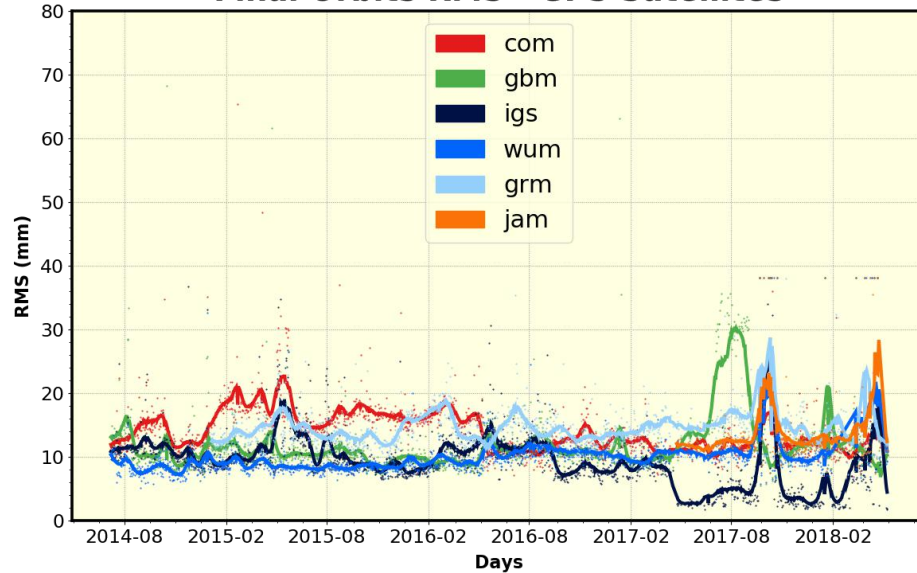
RMS for Orbit Combination



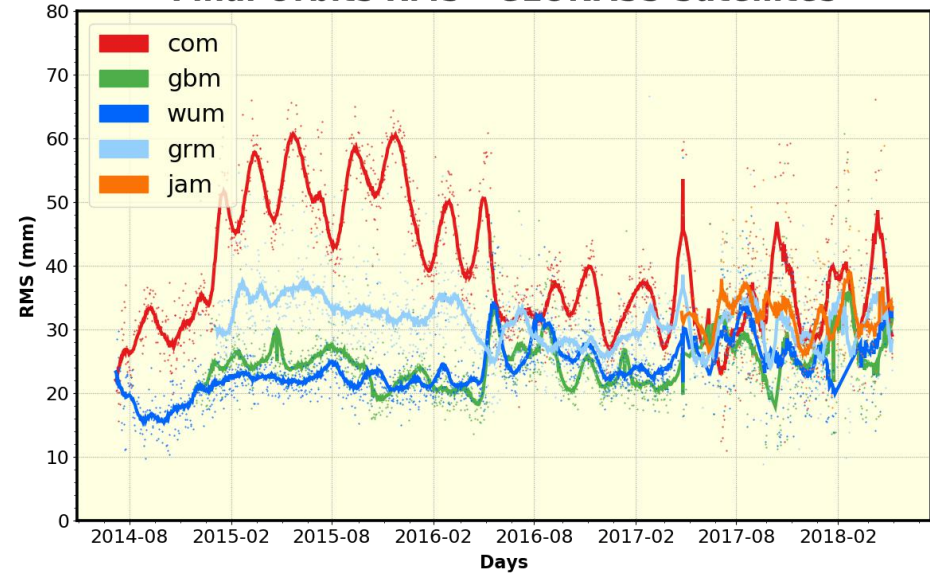
NB : No pole alignment for some ACs

RMS for Orbits Combination

Final Orbits RMS - GPS Satellites



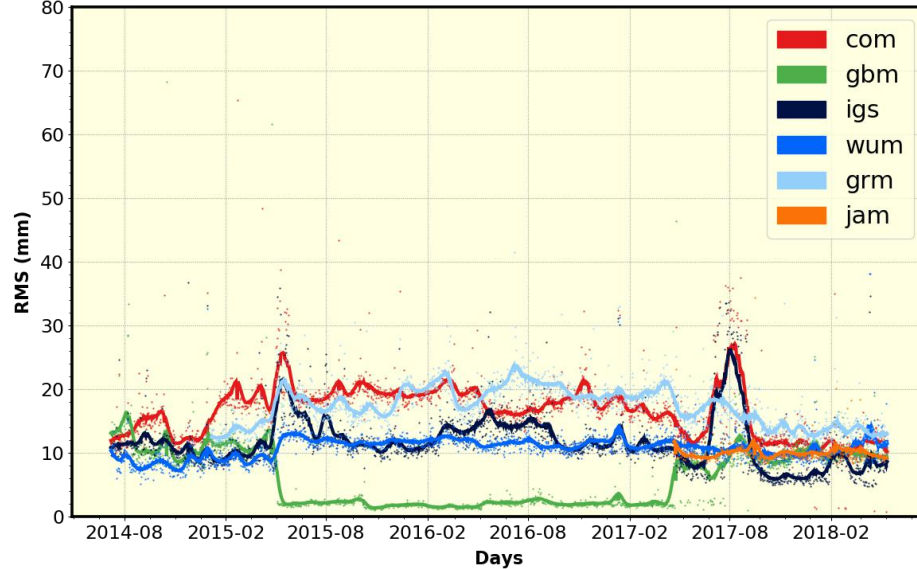
Final Orbits RMS - GLONASS Satellites



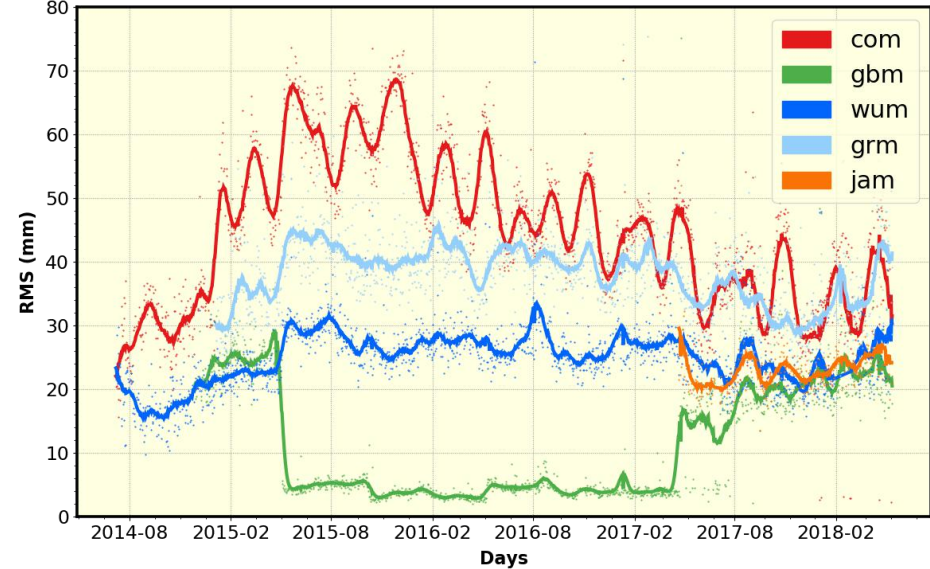
"historical" constellations

RMS for Orbits Combination

Final Orbits RMS - GPS Satellites



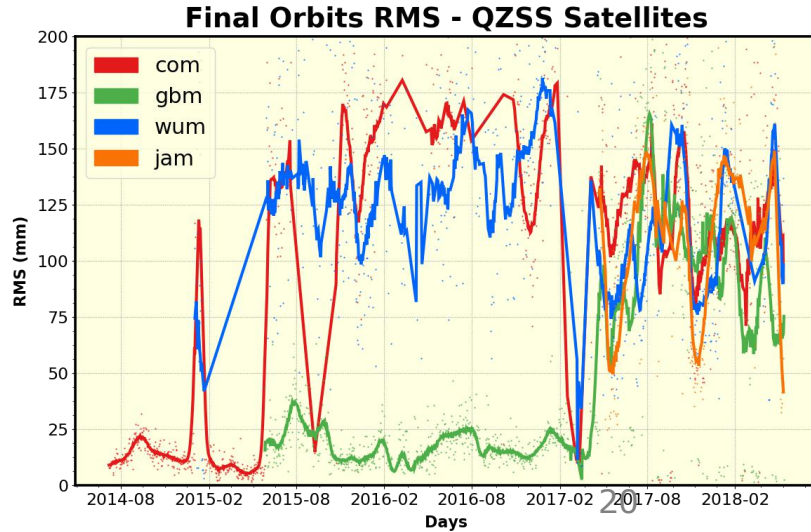
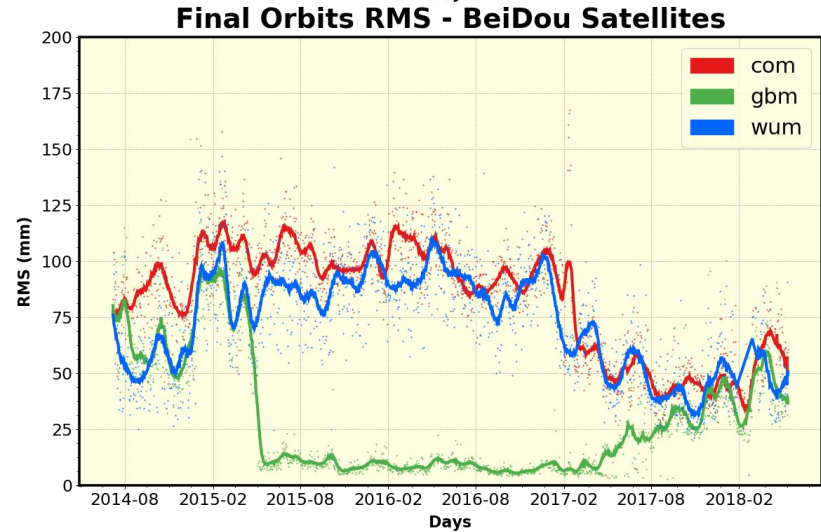
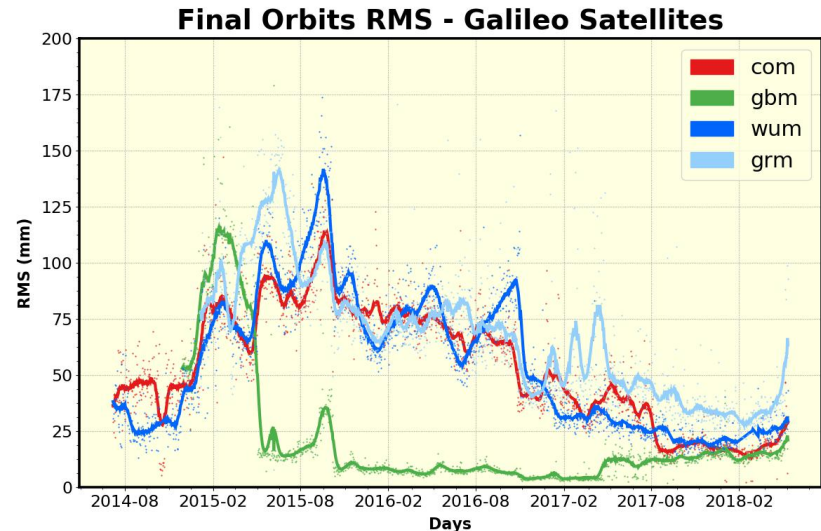
Final Orbits RMS - GLONASS Satellites



"historical" constellations

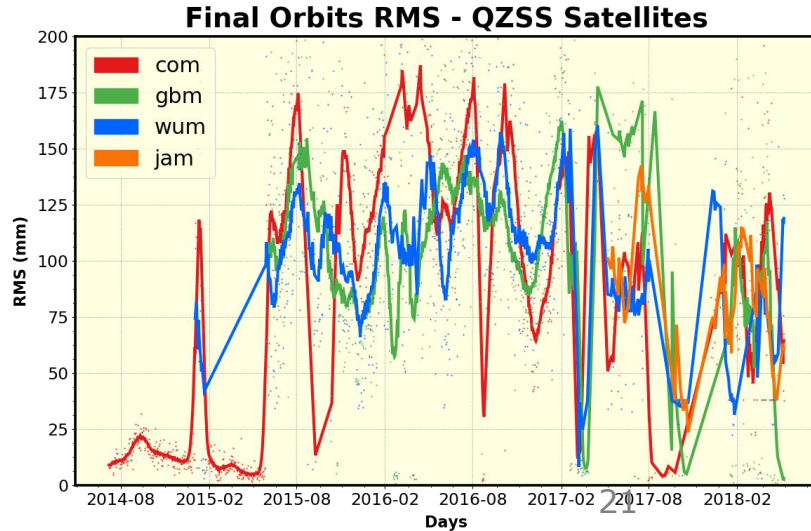
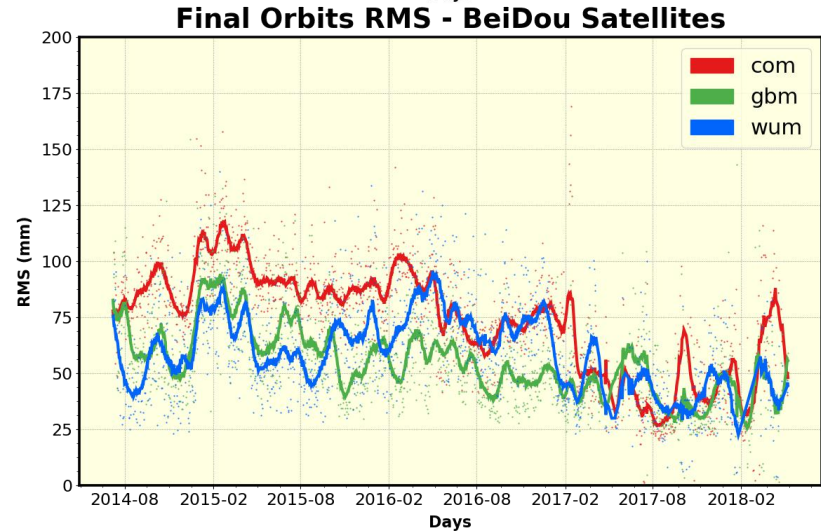
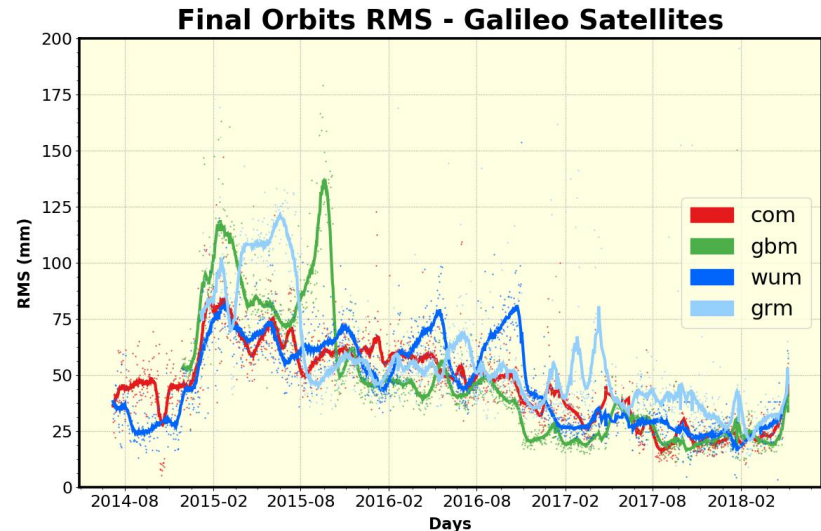
RMS for Orbit Combination

"New" constellations



RMS for Orbit Combination

"New" constellations

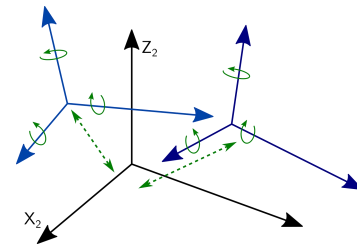


Orbit Combination Summary

- **Step 1** : Alignment of each AC pole to the ITRF Combination Center one
- **Step 2** : First unweighted combination
 - Get a mean position for each satellite & epoch
 - Perform an Helmert Transformation b/w the mean and each AC
 - Compute **weights for each AC & Satellite**, based on differences between mean and the Helmert-transformed AC
- **Step 3** : weighted combination
 - Compute a new mean based on the weights
 - Perform an Helmert Transformation b/w the weighted mean and each AC, using the satellite weights
 - Compute a final mean based on the 2nd Helmert-transformed AC and AC weights



$$\bar{x} = \frac{1}{n} \sum_{i=1}^n x_i$$



$$\bar{x} = \frac{\sum_{i=1}^n w_i x_i}{\sum_{i=1}^n w_i}$$